

I'm not robot  reCAPTCHA

Continue

Write an expression for the equilibrium constant of each chemical equation

For experimental methods and computational details, see Determination of balance constants. The constant balance of a chemical reaction is the value of the reaction quotient to the chemical balance, a state approached by a dynamic chemical system after sufficient time has passed where its composition has no measurable tendency towards a further change. For a given series of reaction conditions, the balance constant is independent of the initial analytical concentrations of reactionary and product species in the mixture. Thus, given the initial composition of a system, the known balance constant values can be used to determine the composition of the system in balance. However, reaction parameters such as temperature, solvent and ion resistance can affect the value of balance constant. A knowledge of balance constants is essential for understanding many chemical systems, as well as biochemical processes such as transporting oxygen from hemoglobin in blood and omeostasis acid-base in the human body. Stability constants, formation constants, binding constants, association constants and dissociation constants are all kinds of balance constants. Definitions and basic properties For a reversible reaction system described by the general chemical equation $\alpha A + \beta B \rightleftharpoons \rho R + \sigma S + \tau$

α
A
+
β
B
↔
ρ
R
+
σ
S
+
τ

{\displaystyle \alpha \,\mathrm {A} +\beta \,\mathrm {B} \rightleftharpoons \rho \,\mathrm {R} +\sigma \,\mathrm {S} +\tau }

 for reaction is zero, if the composition of a mixture in balance is changed by addition of some reagent, a new balance position will be've given enough time. A balance constant is linked to the composition of the mixture in balance of

[
I
]
2

K
d
i
=
{
R
}
ρ
{
S
}
σ
⋯
{
A
}
α
{
B
}
β
⋯
=
[
R

]

ρ
[
S

]

σ
⋯
α
[
B

]

β
⋯
⋯
×
⋯

{\displaystyle K^{\ominus }={\frac {[R]^{\rho }[S]^{\sigma }\cdots }{[A]^{\alpha }[B]^{\beta }\cdots \times \cdots }}

. A balance constant is linked to the standard free energy change of Gibbs reaction

Δ

G

∘

{\displaystyle \Delta G^{\ominus }}

 by

Δ

G

∘

=
−
R
T
ln
K
,

{\displaystyle \Delta G^{\ominus }=-RT\ln K,}

 where R is the constant of universal gas, T is the absolute temperature (in kelvins), and ln is a logarithm This expression implies that

K
.

{\displaystyle K^{\ominus }}

 must be a pure number and cannot have a dimension, since logarithms can only be taken of pure numbers.

K
c

{\displaystyle K_{c}}

 must also be a pure number. On the other hand, the reaction quotient to the balance

[
R

]

ρ
[
S

]

σ
⋯

{\displaystyle [R]^{\rho }[S]^{\sigma }\cdots }

 Translation:

j

{\mathrm {A} }^{j}

(
α
)

{\mathrm {B} }^{β
}

(
β
)

{\mathrm {C} }^{γ
}

(
γ
)

{\mathrm {D} }^{δ
}

(
δ
)

{\mathrm {E} }^{ε
}

(
ε
)

{\mathrm {F} }^{ζ
}

(
ζ
)

{\mathrm {G} }^{η
}

(
η
)

{\mathrm {H} }^{θ
}

(
θ
)

{\mathrm {I} }^{ι
}

(
ι
)

{\mathrm {J} }^{κ
}

(
κ
)

{\mathrm {K} }^{λ
}

(
λ
)

{\mathrm {L} }^{μ
}

(
μ
)

{\mathrm {M} }^{ν
}

(
ν
)

{\mathrm {N} }^{ξ
}

(
ξ
)

{\mathrm {O} }^{ο
}

(
ο
)

{\mathrm {P} }^{π
}

(
π
)

{\mathrm {Q} }^{ϖ
}

(
ϖ
)

{\mathrm {R} }^{ϗ
}

(
ϗ
)

{\mathrm {S} }^{Ϙ
}

(
Ϙ
)

{\mathrm {T} }^{ϙ
}

(
ϙ
)

{\mathrm {U} }^{Ϛ
}

(
Ϛ
)

{\mathrm {V} }^{ϛ
}

(
ϛ
)

{\mathrm {W} }^{Ϝ
}

(
Ϝ
)

{\mathrm {X} }^{ϝ
}

(
ϝ
)

{\mathrm {Y} }^{Ϟ
}

(
Ϟ
)

{\mathrm {Z} }^{ϟ
}

(
ϟ
)

{\mathrm {aa} }^{Ϡ
}

(
Ϡ
)

{\mathrm {ab} }^{ϡ
}

(
ϡ
)

{\mathrm {ac} }^{Ϣ
}

(
Ϣ
)

{\mathrm {ad} }^{ϣ
}

(
ϣ
)

{\mathrm {ae} }^{Ϥ
}

(
Ϥ
)

{\mathrm {af} }^{ϥ
}

(
ϥ
)

{\mathrm {ag} }^{Ϧ
}

(
Ϧ
)

{\mathrm {ah} }^{ϧ
}

(
ϧ
)

{\mathrm {ai} }^{Ϩ
}

(
Ϩ
)

{\mathrm {aj} }^{ϩ
}

(
ϩ
)

{\mathrm {ak} }^{Ϫ
}

(
Ϫ
)

{\mathrm {al} }^{ϫ
}

(
ϫ
)

{\mathrm {am} }^{Ϭ
}

(
Ϭ
)

{\mathrm {an} }^{ϭ
}

(
ϭ
)

{\mathrm {ao} }^{Ϯ
}

(
Ϯ
)

{\mathrm {ap} }^{ϯ
}

(
ϯ
)

{\mathrm {aq} }^{ϰ
}

(
ϰ
)

{\mathrm {ar} }^{ϱ
}

(
ϱ
)

{\mathrm {as} }^{ϲ
}

(
ϲ
)

{\mathrm {at} }^{ϳ
}

(
ϳ
)

{\mathrm {au} }^{ϴ
}

(
ϴ
)

{\mathrm {av} }^{ϵ
}

(
ϵ
)

{\mathrm {aw} }^{϶
}

(
϶
)

{\mathrm {ax} }^{Ϸ
}

(
Ϸ
)

{\mathrm {ay} }^{ϸ
}

(
ϸ
)

{\mathrm {az} }^{Ϲ
}

(
Ϲ
)

{\mathrm {ba} }^{Ϻ
}

(
Ϻ
)

{\mathrm {bb} }^{ϻ
}

(
ϻ
)

{\mathrm {bc} }^{ϼ
}

(
ϼ
)

{\mathrm {bd} }^{Ͻ
}

(
Ͻ
)

{\mathrm {be} }^{Ͽ
}

(
Ͽ
)

{\mathrm {bf} }^{Ⓚ
}

(
Ⓚ
)

{\mathrm {bg} }^{Ⓛ
}

(
Ⓛ
)

{\mathrm {bh} }^{Ⓜ
}

(
Ⓜ
)

{\mathrm {bi} }^{Ⓨ
}

(
Ⓨ
)

{\mathrm {bj} }^{Ⓩ
}

(
Ⓩ
)

{\mathrm {bk} }^{ⓐ
}

(
ⓐ
)

{\mathrm {bl} }^{ⓑ
}

(
ⓑ
)

{\mathrm {bm} }^{ⓓ
}

(
ⓓ
)

{\mathrm {bn} }^{ⓔ
}

(
ⓔ
)

{\mathrm {bo} }^{ⓕ
}

(
ⓕ
)

{\mathrm {bp} }^{ⓖ
}

(
ⓖ
)

{\mathrm {bq} }^{ⓗ
}

(
ⓗ
)

{\mathrm {br} }^{ⓘ
}

(
ⓘ
)

{\mathrm {bs} }^{ⓙ
}

(
ⓙ
)

{\mathrm {bt} }^{ⓚ
}

(
ⓚ
)

{\mathrm {bu} }^{ⓜ
}

(
ⓜ
)

{\mathrm {bv} }^{ⓞ
}

(
ⓞ
)

{\mathrm {bw} }^{ⓟ
}

(
ⓟ
)

{\mathrm {bx} }^{ⓠ
}

(
ⓠ
)

{\mathrm {by} }^{ⓡ
}

(
ⓡ
)

{\mathrm {bz} }^{ⓢ
}

(
ⓢ
)

{\mathrm {ca} }^{ⓣ
}

(
ⓣ
)

{\mathrm {cb} }^{ⓤ
}

(
ⓤ
)

{\mathrm {cc} }^{⓶
}

(
⓶
)

{\mathrm {cd} }^{⓷
}

(
⓷
)

{\mathrm {ce} }^{⓸
}

(
⓸
)

{\mathrm {cf} }^{⓹
}

(
⓹
)

{\mathrm {cg} }^{⓺
}

(
⓺
)

{\mathrm {ch} }^{⓻
}

(
⓻
)

{\mathrm {ci} }^{⓼
}

(
⓼
)

{\mathrm {cj} }^{⓽
}

(
⓽
)

{\mathrm {ck} }^{⓿
}

(
⓿
)

{\mathrm {cl} }^{Ⓚ
}

(
Ⓚ
)

{\mathrm {cm} }^{Ⓛ
}

(
Ⓛ
)

{\mathrm {cn} }^{Ⓜ
}

(
Ⓜ
)

{\mathrm {co} }^{Ⓨ
}

(
Ⓨ
)

{\mathrm {cp} }^{Ⓩ
}

(
Ⓩ
)

{\mathrm {cq} }^{ⓐ
}

(
ⓐ
)

{\mathrm {cr} }^{ⓑ
}

(
ⓑ
)

{\mathrm {cs} }^{ⓓ
}

(
ⓓ
)

{\mathrm {ct} }^{ⓔ
}

(
ⓔ
)

{\mathrm {cu} }^{ⓕ
}

(
ⓕ
)

{\mathrm {cv} }^{ⓖ
}

(
ⓖ
)

{\mathrm {cw} }^{ⓗ
}

(
ⓗ
)

{\mathrm {cx} }^{ⓘ
}

(
ⓘ
)

{\mathrm {cy} }^{ⓙ
}

(
ⓙ
)

{\mathrm {cz} }^{ⓚ
}

(
ⓚ
)

{\mathrm {da} }^{ⓜ
}

(
ⓜ
)

{\mathrm {db} }^{ⓞ
}

(
ⓞ
)

{\mathrm {dc} }^{ⓟ
}

(
ⓟ
)

{\mathrm {dd} }^{ⓠ
}

(
ⓠ
)

{\mathrm {de} }^{ⓡ
}

(
ⓡ
)

{\mathrm {df} }^{ⓢ
}

(
ⓢ
)

{\mathrm {dg} }^{ⓣ
}

(
ⓣ
)

{\mathrm {dh} }^{ⓤ
}

(
ⓤ
)

{\mathrm {di} }^{⓶
}

(
⓶
)

{\mathrm {dj} }^{⓷
}

(
⓷
)

{\mathrm {dk} }^{⓸
}

(
⓸
)

{\mathrm {dl} }^{⓹
}

(
⓹
)

{\mathrm {dm} }^{⓺
}

(
⓺
)

{\mathrm {dn} }^{⓻
}

(
⓻
)

{\mathrm {do} }^{⓼
}

(
⓼
)

{\mathrm {dp} }^{⓽
}

(
⓽
)

{\mathrm {dq} }^{⓿
}

(
⓿
)

{\mathrm {dr} }^{Ⓚ
}

(
Ⓚ
)

{\mathrm {ds} }^{Ⓛ
}

(
Ⓛ
)

{\mathrm {dt} }^{Ⓜ
}

(
Ⓜ
)

{\mathrm {du} }^{Ⓨ
}

(
Ⓨ
)

{\mathrm {dv} }^{Ⓩ
}

(
Ⓩ
)

{\mathrm {dw} }^{ⓐ
}

(
ⓐ
)

{\mathrm {dx} }^{ⓑ
}

(
ⓑ
)

{\mathrm {dy} }^{ⓓ
}

(
ⓓ
)

{\mathrm {dz} }^{ⓔ
}

(
ⓔ
)

{\mathrm {ea} }^{ⓕ
}

(
ⓕ
)

{\mathrm {eb} }^{ⓖ
}

(
ⓖ
)

{\mathrm {ec} }^{ⓗ
}

(
ⓗ
)

{\mathrm {ed} }^{ⓘ
}

(
ⓘ
)

{\mathrm {ee} }^{ⓙ
}

(
ⓙ
)

{\mathrm {ef} }^{ⓚ
}

(
ⓚ
)

{\mathrm {eg} }^{ⓜ
}

(
ⓜ
)

{\mathrm {eh} }^{ⓞ
}

(
ⓞ
)

{\mathrm {ei} }^{ⓟ
}

(
ⓟ
)

{\mathrm {ej} }^{ⓠ
}

(
ⓠ
)

{\mathrm {ek} }^{ⓡ
}

(
ⓡ
)

{\mathrm {el} }^{ⓢ
}

(
ⓢ
)

{\mathrm {em} }^{ⓣ
}

(
ⓣ
)

{\mathrm {en} }^{ⓤ
}

(
ⓤ
)

{\mathrm {eo} }^{⓶
}

(
⓶
)

{\mathrm {ep} }^{⓷
}

(
⓷
)

{\mathrm {eq} }^{⓸
}

(
⓸
)

{\mathrm {er} }^{⓹
}

(
⓹
)

{\mathrm {es} }^{⓺
}

(
⓺
)

{\mathrm {et} }^{⓻
}

(
⓻
)

{\mathrm {eu} }^{⓼
}

(
⓼
)

{\mathrm {ev} }^{⓽
}

(
⓽
)

{\mathrm {ew} }^{⓿
}

(
⓿
)

{\mathrm {ex} }^{Ⓚ
}

(
Ⓚ
)

{\mathrm {ey} }^{Ⓛ
}

(
Ⓛ
)

{\mathrm {ez} }^{Ⓜ
}

(
Ⓜ
)

{\mathrm {fa} }^{Ⓨ
}

(
Ⓨ
)

{\mathrm {fb} }^{Ⓩ
}

(
Ⓩ
)

{\mathrm {fc} }^{ⓐ
}

(
ⓐ
)

{\mathrm {fd} }^{ⓑ
}

(
ⓑ
)

{\mathrm {fe} }^{ⓓ
}

(
ⓓ
)

{\mathrm {ff} }^{ⓔ
}

(
ⓔ
)

{\mathrm {fg} }^{ⓕ
}

(
ⓕ
)

{\mathrm {fh} }^{ⓖ
}

(
ⓖ
)

{\mathrm {fi} }^{ⓗ
}

(
ⓗ
)

{\mathrm {fj} }^{ⓘ
}

(
ⓘ
)

{\mathrm {fk} }^{ⓙ
}

(
ⓙ
)

{\mathrm {fl} }^{ⓚ
}

(
ⓚ
)

{\mathrm {fm} }^{ⓜ
}

(
ⓜ
)

{\mathrm {fn} }^{ⓞ
}

(
ⓞ
)

{\mathrm {fo} }^{ⓟ
}

(
ⓟ
)

{\mathrm {fp} }^{ⓠ
}

(
ⓠ
)

{\mathrm {fq} }^{ⓡ
}

(
ⓡ
)

{\mathrm {fr} }^{ⓢ
}

(
ⓢ
)

{\mathrm {fs} }^{ⓣ
}

(
ⓣ
)

{\mathrm {ft} }^{ⓤ
}

(
ⓤ
)

{\mathrm {fu} }^{⓶
}

(
⓶
)

{\mathrm {fv} }^{⓷
}

(
⓷
)

{\mathrm {fw} }^{⓸
}

(
⓸
)

{\mathrm {fx} }^{⓹
}

(
⓹
)

{\mathrm {fy} }^{⓺
}

(
⓺
)

{\mathrm {fz} }^{⓻
}

(
⓻
)

{\mathrm {ga} }^{⓼
}

(
⓼
)

{\mathrm {gb} }^{⓽
}

(
⓽
)

{\mathrm {gc} }^{⓿
}

(
⓿
)

{\mathrm {gd} }^{Ⓚ
}

(
Ⓚ
)

{\mathrm {ge} }^{Ⓛ
}

(
Ⓛ
)

{\mathrm {gf} }^{Ⓜ
}

(
Ⓜ
)

{\mathrm {gh} }^{Ⓨ
}

(
Ⓨ
)

{\mathrm {gi} }^{Ⓩ
}

(
Ⓩ
)

{\mathrm {gj} }^{ⓐ
}

(
ⓐ
)

{\mathrm {gk} }^{ⓑ
}

(
ⓑ
)

{\mathrm {gl} }^{ⓓ
}

(
ⓓ
)

{\mathrm {gm} }^{ⓔ
}

(
ⓔ
)

{\mathrm {gn} }^{ⓕ
}

(
ⓕ
)

{\mathrm {go} }^{ⓖ
}

(
ⓖ
)

{\mathrm {gp} }^{ⓗ
}

(
ⓗ
)

{\mathrm {gq} }^{ⓘ
}

(
ⓘ
)

{\mathrm {gr} }^{ⓙ
}

(
ⓙ
)

{\mathrm {gs} }^{ⓚ
}

(
ⓚ
)

{\mathrm {gt} }^{ⓜ
}

(
ⓜ
)

{\mathrm {gu} }^{ⓞ
}

(
ⓞ
)

{\mathrm {gv} }^{ⓟ
}

(
ⓟ
)

{\mathrm {gw} }^{ⓠ
}

(
ⓠ
)

{\mathrm {gx} }^{ⓡ
}

(
ⓡ
)

{\mathrm {gy} }^{ⓢ
}

(
ⓢ
)

{\mathrm {gz} }^{ⓣ
}

(
ⓣ
)

{\mathrm {ha} }^{ⓤ
}

(
ⓤ
)

{\mathrm {hb} }^{⓶
}

(
⓶
)

{\mathrm {hc} }^{⓷
}

(
⓷
)

{\mathrm {hd} }^{⓸
}

(
⓸
)

{\mathrm {he} }^{⓹
}

(
⓹
)

{\mathrm {hf} }^{⓺
}

(
⓺
)

{\mathrm {hg} }^{⓻
}

(
⓻
)

{\mathrm {hh} }^{⓼
}

(
⓼
)

{\mathrm {hi} }^{⓽
}

(
⓽
)

{\mathrm {hj} }^{⓿
}

(
⓿
)

{\mathrm {hk} }^{Ⓚ
}

(
Ⓚ
)

{\mathrm {hl} }^{Ⓛ
}

(
Ⓛ
)

{\mathrm {hm} }^{Ⓜ
}

(
Ⓜ
)

{\mathrm {hn} }^{Ⓨ
}

(
Ⓨ
)

{\mathrm {ho} }^{Ⓩ
}

(
Ⓩ
)

{\mathrm {hp} }^{ⓐ
}

(
ⓐ
)

{\mathrm {hq} }^{ⓑ
}

(
ⓑ
)

{\mathrm {hr} }^{ⓓ
}

(
ⓓ
)

{\mathrm {hs} }^{ⓔ
}

(
ⓔ
)

{\mathrm {ht} }^{ⓕ
}

(
ⓕ
)

{\mathrm {hu} }^{ⓖ
}

(
ⓖ
)

{\mathrm {hv} }^{ⓗ
}

(
ⓗ
)

{\mathrm {hw} }^{ⓘ
}

(
ⓘ
)

{\mathrm {hx} }^{ⓙ
}

(
ⓙ
)

{\mathrm {hy} }^{ⓚ
}

(
ⓚ
)

{\mathrm {hz} }^{ⓜ
}

(
ⓜ
)

{\mathrm {ia} }^{ⓞ
}

(
ⓞ
)

{\mathrm {ib} }^{ⓟ
}

(
ⓟ
)

{\mathrm {ic} }^{ⓠ
}

(
ⓠ
)

{\mathrm {id} }^{ⓡ
}

(
ⓡ
)

{\mathrm {ie} }^{ⓢ
}

(
ⓢ
)

{\mathrm {if} }^{ⓣ
}

(
ⓣ
)

{\mathrm {ig} }^{ⓤ
}

(
ⓤ
)

{\mathrm {ih} }^{⓶
}

(
⓶
)

{\mathrm {ii} }^{⓷
}

(
⓷
)

{\mathrm {ij} }^{⓸
}

(
⓸
)

{\mathrm {ik} }^{⓹
}

(
⓹
)

{\mathrm {il} }^{⓺
}

(
⓺
)

{\mathrm {im} }^{⓻
}

(
⓻
)

{\mathrm {in} }^{⓼
}

(
⓼
)

{\mathrm {io} }^{⓽
}

(
⓽
)

{\mathrm {ip} }^{⓿
}

(
⓿
)

{\mathrm {iq} }^{Ⓚ
}

(
Ⓚ
)

{\mathrm {ir} }^{Ⓛ
}

(
Ⓛ
)

{\mathrm {is} }^{Ⓜ
}

(
Ⓜ
)

{\mathrm {it} }^{Ⓨ
}

(
Ⓨ
)

{\mathrm {iu} }^{Ⓩ
}

(
Ⓩ
)

{\mathrm {iv} }^{ⓐ
}

(
ⓐ
)

{\mathrm {iw} }^{ⓑ
}

(
ⓑ
)

{\mathrm {ix} }^{ⓓ
}

(
ⓓ
)

{\mathrm {iy} }^{ⓔ
}

(
ⓔ
)

{\mathrm {iz} }^{ⓕ
}

(
ⓕ
)

{\mathrm {ja} }^{ⓖ
}

(
ⓖ
)

{\mathrm {jb} }^{ⓗ
}

(
ⓗ
)

{\mathrm {jc} }^{ⓘ
}

(
ⓘ
)

{\mathrm {jd} }^{ⓙ
}

(
ⓙ
)

{\mathrm {je} }^{ⓚ
}

(
ⓚ
)

{\mathrm {jf} }^{ⓜ
}

(
ⓜ
)

{\mathrm {jg} }^{ⓞ
}

(
ⓞ
)

{\mathrm {jh} }^{ⓟ
}

(
ⓟ
)

{\mathrm {ji} }^{ⓠ
}

(
ⓠ
)

{\mathrm {jj} }^{ⓡ
}

(
ⓡ
)

{\mathrm {jk} }^{ⓢ
}

(
ⓢ
)

{\mathrm {jl} }^{ⓣ
}

(
ⓣ
)

{\mathrm {jm} }^{ⓤ
}

(
ⓤ
)

{\mathrm {jn} }^{⓶
}

(
⓶
)

{\mathrm {jo} }^{⓷
}

(
⓷
)

{\mathrm {jp} }^{⓸
}

(
⓸
)

{\mathrm {jq} }^{⓹
}

(
⓹
)

{\mathrm {jr} }^{⓺
}

(
⓺
)

{\mathrm {js} }^{⓻
}

(
⓻
)

{\mathrm {jt} }^{⓼
}

(
⓼
)

{\mathrm {ju} }^{⓽